

Code Generation

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Instruction selection

Simple approach:

- Macro-expand each IR tuple/subtree into machine instructions
- Expanding tuples/subtrees independently $\Rightarrow$ poor quality code
- Sometimes mapping is many-to-one
- “Maximal munch”: works reasonably well with RISC

Other approaches:

- Model target machine *state* as IR is expanded
(*interpretive code generation*)

Register and temporary management

Temporaries hold data values relevant to current computation:

- Usually registers
- May be in-memory *storage* temporaries in local stack frame

Register allocation: assign registers to temporaries

- Limited number of hard registers
 - ⇒ some temporaries may need to be allocated to storage
 - assume a *pseudo-register* for each temporary
 - register allocator chooses temporaries to spill
 - allocator generates corresponding mapping
 - allocator inserts code to spill/restore pseudo-registers to/from storage as necessary

We will deal with register allocation *after* instruction selection

Tree patterns

- Express each machine instruction as fragment of IR tree: a *tree pattern*
- Instruction selection means *tiling* IR tree with minimal set of tree patterns

MIPS tree patterns

Notation:

r_i	register i
Rd	destination register
Rs	source register
Rb	base register
I	32-bit immediate
I_{16}	16-bit immediate
label	code label

Addressing modes:

- register: R
- indexed: $I_{16}(\text{Rb})$
- immediate: I_{16}

MIPS tree patterns

—	r_i			TEMP
—	r_0			CONST 0
li	Rd	I		CONST
la	Rd	label		NAME
move	Rd	Rs		MOVE($\bullet$, $\bullet$)
add	Rd	Rs ₁	Rs ₂	$+(\bullet, \bullet)$
	Rd	Rs ₁	I_{16}	$+(\bullet, \text{CONST}_{16}), +(\text{CONST}_{16}, \bullet)$
mulo	Rd	Rs ₁	Rs ₂	$\times(\bullet, \bullet)$
	Rd	Rs	I_{16}	$\times(\bullet, \text{CONST}_{16}), \times(\text{CONST}_{16}, \bullet)$
and	Rd	Rs ₁	Rs ₂	AND($\bullet$, $\bullet$)
	Rd	Rs ₁	I_{16}	AND($\bullet$, CONST_{16}), AND(CONST_{16} , $\bullet$)
or	Rd	Rs ₁	Rs ₂	OR($\bullet$, $\bullet$)
	Rd	Rs ₁	I_{16}	OR($\bullet$, CONST_{16}), OR(CONST_{16} , $\bullet$)
xor	Rd	Rs ₁	Rs ₂	XOR($\bullet$, $\bullet$)
	Rd	Rs ₁	I_{16}	XOR($\bullet$, CONST_{16}), XOR(CONST_{16} , $\bullet$)
sub	Rd	Rs ₁	Rs ₂	$-(\bullet, \bullet)$
	Rd	Rs	I_{16}	$-(\bullet, \text{CONST}_{16})$
div	Rd	Rs ₁	Rs ₂	$/(\bullet, \bullet)$
	Rd	Rs	I_{16}	$/(\bullet, \text{CONST}_{16})$
srl	Rd	Rs ₁	Rs ₂	RSHIFT($\bullet$, $\bullet$)
	Rd	Rs	I_{16}	RSHIFT($\bullet$, CONST_{16})
sll	Rd	Rs ₁	Rs ₂	LSHIFT($\bullet$, $\bullet$)
	Rd	Rs	I_{16}	LSHIFT($\bullet$, CONST_{16})
sra	Rd	Rs	I_{16}	$\times(\bullet, \text{CONST}_{2^k})$
	Rd	Rs ₁	Rs ₂	ARSHIFT($\bullet$, $\bullet$)
	Rd	Rs	I_{16}	ARSHIFT($\bullet$, CONST_{16})
	Rd	Rs	I_{16}	$/(\bullet, \text{CONST}_{2^k})$
lw	Rd	$I_{16}(\text{Rb})$		MEM($+(\bullet, \text{CONST}_{16})$), MEM($+(\text{CONST}_{16}, \bullet)$), MEM(CONST_{16}), MEM($\bullet$)

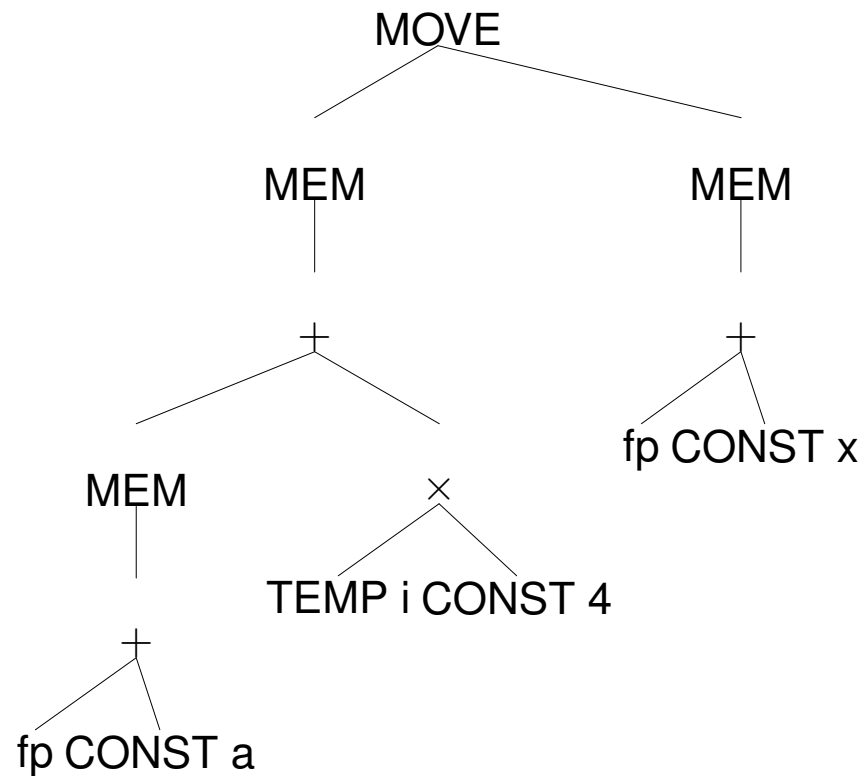
MIPS tree patterns

sw	Rs	$I_{16}(\text{Rb})$		MOVE(MEM(+($\bullet$, CONST ₁₆)), $\bullet$), MOVE(MEM(+ (CONST ₁₆ , $\bullet$)), $\bullet$), MOVE(MEM(CONST ₁₆), $\bullet$), MOVE(MEM($\bullet$), $\bullet$)
b	label			JUMP(NAME, [$\bullet$])
jr	Rs			JUMP($\bullet$, [$\bullet$])
beq	Rs ₁	Rs ₂	label	CJUMP(EQ, $\bullet$, $\bullet$, label, $\bullet$)
	Rs ₁	I_{16}	label	CJUMP(EQ, $\bullet$, CONST ₁₆ , label, $\bullet$)
				CJUMP(EQ, CONST ₁₆ , $\bullet$, label, $\bullet$)
bne	Rs ₁	Rs ₂	label	CJUMP(NE, $\bullet$, $\bullet$, label, $\bullet$)
	Rs ₁	I_{16}	label	CJUMP(NE, $\bullet$, CONST ₁₆ , label, $\bullet$)
				CJUMP(NE, CONST ₁₆ , $\bullet$, label, $\bullet$)
blt	Rs ₁	Rs ₂	label	CJUMP(LT, $\bullet$, $\bullet$, label, $\bullet$)
	Rs ₁	I_{16}	label	CJUMP(LT, $\bullet$, CONST ₁₆ , label, $\bullet$)
bgt	Rs ₁	Rs ₂	label	CJUMP(GT, $\bullet$, $\bullet$, label, $\bullet$)
	Rs ₁	I_{16}	label	CJUMP(GT, $\bullet$, CONST ₁₆ , label, $\bullet$)
ble	Rs ₁	Rs ₂	label	CJUMP(LE, $\bullet$, $\bullet$, label, $\bullet$)
	Rs ₁	I_{16}	label	CJUMP(LE, $\bullet$, CONST ₁₆ , label, $\bullet$)
bge	Rs ₁	Rs ₂	label	CJUMP(GE, $\bullet$, $\bullet$, label, $\bullet$)
	Rs ₁	I_{16}	label	CJUMP(GE, $\bullet$, CONST ₁₆ , label, $\bullet$)
bltu	Rs ₁	Rs ₂	label	CJUMP(ULT, $\bullet$, $\bullet$, label, $\bullet$)
	Rs ₁	I_{16}	label	CJUMP(ULT, $\bullet$, CONST ₁₆ , label, $\bullet$)
bleu	Rs ₁	Rs ₂	label	CJUMP(ULE, $\bullet$, $\bullet$, label, $\bullet$)
	Rs ₁	I_{16}	label	CJUMP(ULE, $\bullet$, CONST ₁₆ , label, $\bullet$)
bgtu	Rs ₁	Rs ₂	label	CJUMP(UGT, $\bullet$, $\bullet$, label, $\bullet$)
	Rs ₁	I_{16}	label	CJUMP(UGT, $\bullet$, CONST ₁₆ , label, $\bullet$)
bgeu	Rs ₁	Rs ₂	label	CJUMP(UGE, $\bullet$, $\bullet$, label, $\bullet$)
	Rs ₁	I_{16}	label	CJUMP(UGE, $\bullet$, CONST ₁₆ , label, $\bullet$)
jal	label			CALL(NAME, [$\bullet$])
label:				LABEL

Tiling

- *Tiles* are a set of tree patterns for the target machine
- Goal is to cover the IR tree with nonoverlapping tiles

e.g., $a[i] := x$



lw	r ₁	a(\$fp)		add	r ₁	\$fp	a
sll	r ₂	r _i	2	lw	r ₁	(r ₁)	
add	r ₁	r ₁	r ₂	sll	r ₂	r _i	2
lw	r ₂	x(\$fp)		add	r ₁	r ₁	r ₂
sw	r ₂	(r ₁)		add	r ₂	\$fp	x
				lw	r ₂	(r ₂)	
				sw	r ₂	(r ₁)	

Optimal and optimum tilings

Optimum tiling: least cost instruction sequence

- shortest
- fewest cycles

Optimum tiling has tiles whose costs sum to lowest possible value

Optimal: no two adjacent tiles combine into single tile of lower cost

optimum $\Rightarrow$ optimal
optimal $\nRightarrow$ optimum

CISC instructions have complex tiles $\Rightarrow$ optimal $\not\approx$ optimum

RISC instructions have small tiles $\Rightarrow$ optimal $\approx$ optimum

Optimal tiling

Maximal “munch”:

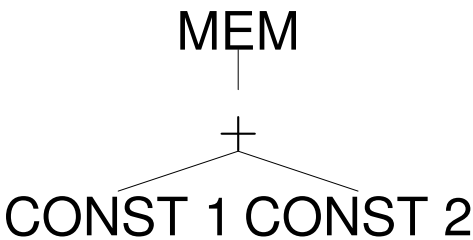
1. Start at root of tree
2. Tile root with largest tile that fits
3. Repeat for each subtree

Optimum tiling

Dynamic programming

- Assign a cost to every tree node: sum of instruction costs of best tiling for that node (including best tilings for children)

Example:



Tile	Instruction	Tile Cost	Leaves Cost	Total Cost
$+(\bullet, \bullet)$	add	1	1+1	3
$+(\bullet, \text{CONST } 2)$	add	1	1+0	2
$+(\text{CONST } 1, \bullet)$	add	1	0+1	2

CISC machines

- few registers (x86 has only 6 general plus SP and FP)
allocate TEMP nodes freely, assume good register allocation
- different register classes, some operations only on certain registers
(x86/x86-64 allows mul/div only on eax/rax, high-order bits into edx/rdx)
$$\begin{array}{l} \text{eax} \leftarrow t_2 \\ t_1 \leftarrow t_2 \times t_3 \equiv \begin{array}{l} \text{eax} \leftarrow \text{eax} \times t_3; \text{edx} \leftarrow \\ t_1 \leftarrow \text{eax} \end{array} \end{array}$$

register allocator removes redundant moves
- 2-address instructions
$$\begin{array}{l} t_1 \leftarrow t_2 + t_3 \equiv \begin{array}{l} t_1 \leftarrow t_2 \\ t_1 \leftarrow t_1 + t_3 \end{array} \end{array}$$

register allocator removes redundant moves
- arithmetic operations can address memory
spill phase of register allocator can handle as
$$\begin{array}{l} \text{eax} \leftarrow [\text{ebp}-8] \\ \text{eax} \leftarrow \text{eax} + \text{ecx} \equiv [\text{ebp}-8] \leftarrow [\text{ebp}-8] + \text{ecx} \\ [\text{ebp}-8] \leftarrow \text{eax} \end{array}$$
- several memory addressing modes
- variable-length instructions
- instructions with side-effects such as “auto-increment” addressing