# General Game Playing and the Game Description Language

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## Another Kind of Logic Language

#### GDL is not Prolog

- No cuts
- Hypotheses are not ordered
- Forward and backward chaining are possible
- Grounding

#### GDL is not Datalog

- Nested function symbols
- Recursion restriction
- Dynamic keywords: init, true, next
- Semantics = Transition system

#### Introduction

Initial State				
(init	(cell	1	1	b))
 (init (init	(cell (ctrl	3 xp	3 pla	b)) ayer))

#### Next State

(←	(next	(cell M N P))
	(does	P (mark M N)))
(←	(next	(ctrl oplayer))
	(true	<pre>(ctrl xplayer)))</pre>
(←	(next	(ctrl xplayer))
	(true	(ctrl oplayer)))

### Legal Actions

(← (legal P (mark M N)) (true (ctrl P)) (true (cell M N b)))

(← (next (cell M N C)) (true (cell M N C)) (does P (mark M' N')) (or (distinct M M') (distinct N N')))

#### Auxiliary predicates (← (line P) (true (cell M 1 P)) (true (cell M 2 P)) (true (cell M 3 P)) (← (line P) (true (cell 1 N P)) (true (cell 2 N P)) (true (cell 3 N P)) (← emptycell (true (cell M N b)))

**Objective** (← (goal xplayer 100) (line xplayer)) (← (goal oplayer 0) (line xplayer))

#### Termination

(← terminal (line P)) (← terminal (not emptycell)))

#### Typical competition time limits

- Startclock: 600 sec per match
- Playclock: 30 sec per move

Making the most out of the competition settings

- GDL is not Prolog → Hypotheses are not ordered
- Startclock  $\rightarrow$  Optimize the compiler's parameters

#### Into perspective

- Classical compilers: globally-tune default flags.
- Automatic empirical optimization (ATLAS/FFTW3): tune to the hardware/installed software.
- Here: tune to the instance (also [Keller et al., 2008]).

## Hypotheses Ordering

Rule

 $(\leftarrow (\text{legal white (move } X_1 \ Y_1 \ X_2 \ Y_2)) \\ (\text{succ } Y_1 \ Y_2) \\ (\text{succ } X_1 \ X_2) \\ (\text{cell } X_1 \ Y_1 \ w) \\ (\text{not (cell } X_2 \ Y_2 \ w)))$ 

Input Restriction  

$$Y_1, Y_2$$
  
 $X_1, X_2$   
 $X_1, Y_1$   
 $X_2, Y_2$ 

## Hypotheses Ordering

	Rule	Input	Restriction
(←	(legal white (move $X_1 Y_1 X_2 Y_2$ )) (succ $Y_1 Y_2$ ) (succ $X_1 X_2$ ) (cell $X_1 Y_1 w$ ) (not (cell $X_2 Y_2 w$ )))	$Y_1, Y_2 X_1, X_2$	$\begin{array}{c} X_1, \ Y_1 \\ X_2, \ Y_2 \end{array}$
(←	(legal white (move $X_1 Y_1 X_2 Y_2$ )) (succ $Y_1 Y_2$ ) (cell $X_1 Y_1$ w) (succ $X_1 X_2$ ) (not (cell $X_2 Y_2$ w)))	$\begin{array}{c} Y_1, \ Y_2 \\ X_1 \\ X_2 \end{array}$	Y <sub>1</sub> X <sub>1</sub> X <sub>2</sub> , Y <sub>2</sub>

<b>Knowledge Base</b>				
{(succ 1 2), (succ 2 3), (succ 3 4), (cell 1 1 w), (cell 1 2 w), (cell 2 2 w), }				
Steps	Satisfying assignments: $\{[X_1 \ X_2 \ Y_1 \ Y_2]\}$			
$(succ Y_1 Y_2) (succ X_1 X_2) (cell X_1 Y_1 w) (not (cell X_2 Y_2 w)))$	$ \{ [\_12], [\_23], [\_34] \} \\ \{ [1212], [2312], [3412], [1223], [2323] \\ [3423], [1234], [2334], [3434] \} \\ \{ [1212], [1223], [2323], [2323] \} \\ \{ [1223], [2323] \} $			
$(succ Y_1 Y_2)$ (cell X <sub>1</sub> Y <sub>1</sub> w) (succ X <sub>1</sub> X <sub>2</sub> ) (not (cell X <sub>2</sub> Y <sub>2</sub> w)))	$ \{ [\_ 1 2], [\_ 2 3], [\_ 3 4] \} \\ \{ [1 1 2], [1 2 3], [2 2 3] \} \\ \{ [1 2 1 2], [1 2 2 3], [2 3 2 3] \} \\ \{ [1 2 2 3], [2 3 2 3] \} $			

## Knowledge Base {(succ 1 2), (succ 1 3), (cell 1 1 w), (cell 2 1 w), (cell 3 1 w), (cell 4 1 w), ...}

Steps	Satisfying assignments: $\{[X_1 \ X_2 \ Y_1 \ Y_2]\}$
$(succ Y_1 Y_2) (succ X_1 X_2) (cell X_1 Y_1 w) (not (cell X_2 Y_2 w)))$	$ \begin{array}{l} \{ [\_\_1 2], [\_\_1 3] \} \\ \{ [1 2 1 2], [1 3 1 2], [1 2 1 3], [1 3 1 3] \} \\ \{ [1 2 1 2], [1 3 1 2], [1 2 1 3], [1 3 1 3] \} \\ \{ [1 2 1 2], [1 3 1 2], [1 2 1 3], [1 3 1 3] \} \end{array} $
(succ $Y_1$ $Y_2$ )	{[12], [13]}
(cell $X_1 Y_1$ w)	$\{[1 \_ 1 2], [2 \_ 1 2], [3 \_ 1 2], [4 \_ 1 2], [1 \_ 1 3] [2 \_ 1 3] [3 \_ 1 3] [4 \_ 1 3] \}$
(succ $X_1 X_2$ ) (not (cell $X_2 Y_2$ w)))	{[1 2 1 2], [1 3 1 2], [1 2 1 3], [1 3 1 3]} {[1 2 1 2], [1 3 1 2], [1 2 1 3], [1 3 1 3]}

#### Empirical hypotheses ordering

- Get the rules
- Naive compilation
- Collect data via random games
- Infer a good hypotheses ordering
- $\bullet \rightarrow Smart \ compilation$

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#### Experiments: engine speed (higher is better)

Game	Original	Inferred	Improvement
Peg solitaire	3.6	139	3800%
Connect 4	78.7	111	141%
Mini-chess	62.7	74.8	119%
Ro-sham-bo	1,480	1,610	109%
Sheep and Wolf	101	94.3	93%



#### Language-level: Decomposition into sub-games



Al level: Complexity reduction  $(b_1b_2)^n \rightarrow b_1^n + b_2^n$ 





## **Reachability Analysis**

#### What for?

- Deadlock analysis
- Termination analysis

- Precise static typing
- Dead-code detection

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Prop: no variables	Fragment	Reachability
<ul> <li>Mono: facts are never</li></ul>	Prop, Mono	NP-C
removed from the KB	Prop	PSPACE-C
<ul> <li>Bounded: stronger</li></ul>	Mono	NEXPTIME-C
recursion restriction	Bounded	EXPSPACE-C
	Full	UNDEC

## Conclusion

#### In the AI community: a Hot Topic

- Yearly international competition
- Journal special issues, workshops
- Masters students, PhDs
- Massive OO Course (≥ 50,000 students)

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### In the PL community: We need You!

- Low hanging fruits
- Some interesting problems?

